References: finite-size analysis of random matrices

- [1] Eaton M. L. Multivariate statistics: a vector space approach. Wiley, New York, 1983.
- [2] Edelman A. Eigenvalues and condition numbers of random matrices. MIT PhD dissertation, 1989. http://math.mit.edu/~edelman/thesis/thesis.ps
- [3] Fisher, R. A. The sampling distribution of some statistics obtained from non-linear equations. Ann. Eugenics 9 (1939), 238–249.
- [4] Ginibre, J. Statistical ensembles of complex, quaternion, and real matrices. J. Mathematical Phys. 6 (1965), 440–449.
- [5] Girko, V. L. Theory of random determinants. Mathematics and its Applications (Soviet Series), 45. Kluwer Academic Publishers Group, Dordrecht, 1990.
- [6] Girshik M. A. On the sampling theory of the roots of determinantal equations. Ann. Math. Stat. 10 (1939), 203–204.
- [7] Goodman, N. R. Statistical analysis based on a certain multivariate complex Gaussian distribution. An introduction. Ann. Math. Statist. 34 (1963), 152–177.
- [8] Gupta, A. K.; Nagar, D. K. Matrix variate distributions. Chapman & Hall/CRC Monographs and Surveys in Pure and Applied Mathematics, 104. Chapman & Hall/CRC, Boca Raton, FL, 2000.
- [9] Hsu, P. L. On the distribution of roots of certain determinantal equations. Ann. Eugenics 9, (1939), 250–258.
- [10] James, A. T. Distributions of matrix variates and latent roots derived from normal samples. Ann. Math. Statist. 35 (1964), 475–501.
- [11] Mehta, M. L. Random matrices. Second edition. Academic Press, Inc., Boston, MA, 1991.
- [12] Mood, A. M. On the distribution of the characteristic roots of normal second-moment matrices. Ann. Math. Statist. 22 (1951), 266-273.
- [13] Muirhead, R. J. Aspects of multivariate statistical theory. Wiley Series in Probability and Mathematical Statistics. John Wiley & Sons, Inc., New York, 1982.
- [14] Roy S.N. p-statistics or some generalizations in analysis of variance appropriate to multivariate problems. Sankhyä 4 (1939), 381–396.
- [15] Wishart J. The generalised product moment distribution in samples from a normal multivariate population. Biometrika A20 (1928), 32–52.